

Magnets have a north and a south pole. If you make this magnet small enough so that it looks like a point, all you will see are the looping lines of force mapped out by iron fillings or by using a compass.

Physicists call these patterns of lines, magnetic lines of force, and they can describe them mathematically!

Problem 1 - Create a standard Cartesian ' $X-Y$ ' graph with all four quadrants shown. Select a domain [-5.0, +5.0] and a range $[-2.0,+2.0]$ and include tic marks every 0.1 along each axis.

Problem 2 - Plot the following points in the order given and connect them with a smooth curve.

| X | Y |
| :---: | :---: |
| +0.0 | +0.0 |
| +0.1 | +0.3 |
| +0.6 | +1.1 |
| +1.8 | +1.8 |
| +3.2 | +1.9 |
| +4.1 | +1.6 |
| +4.5 | +1.2 |
| +4.9 | +0.6 |
| +5.0 | +0.0 |

Problem 2 - Reflect the curve you drew into Quadrant 4, then reflect the curve in Quadrant 1 and 4 into Quadrants 2 and 3 to complete a single magnetic line of force for a magnet located at the origin!

Problem 3 - Add two additional lines of force to your picture by re-scaling the figure you drew so that the $X-Y$ coordinates are now A) $1 / 4$ as large and B) 1.5 times larger.

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Problem 2 - Reflect the curve you drew into Quadrant 4, and then reflect the curve in Quadrant 1 and 4 into Quadrants 2 and 3 to complete a single magnetic line of force for a magnet located at the origin!


Problem 3 - Add two additional lines of force to your picture by re-scaling (dilating or contracting) the figure you drew so that the X-Y coordinates are now A) 1/4 as large (contraction) and $B$ ) 1.5 times larger (dilation).

